

SPATIAL TRELIS TONE FOR MIMO SYSTEMS**S.RAMYA¹, M.RANJITH², T.SAMMAIAH³**

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ABSTARCT:

This paper proposes spatial lattice modulation (SLM), a spatial modulation approach for multiple inputs-more than one-output (MIMO) systems. The key concept of SLM is to together make the most spatial, in-phase, and quadrature dimensions to modulate information bits proper into a multi-dimensional sign set that consists of lattice points. One fundamental locating is that SLM achieves a better spectral typical overall performance than the triumphing spatial modulation and spatial multiplexing strategies for the MIMO channel beneath the constraint of M-ray pulse amplitude-modulation (PAM) input signaling in line with size. In specific, it's far established that after the SLM signal set is built through using dense lattices, a huge signal-to-noise-ratio (SNR) gain, i.e., a nominal coding gain, is viable in comparison to the

triumphing strategies. In addition, closed-form expressions for every the not unusual mutual facts and commonplace picture-vector-errors-possibility (ASVEP) of famous SLM are derived beneath Rayleigh-fading environments. To lessen detection complexity, a low-complexity detection approach for SLM, this is known as lattice sphere deciphering, is superior thru way of exploiting lattice concept. Simulation consequences confirm the accuracy of the performed evaluation and show that the proposed SLM techniques accumulate better common mutual data and reduce ASVEP than do contemporary-day techniques.

INTRODUCTION:

The creation of spatial modulation (SM) [1] has enabled a contemporary three-dimensional (3-D) modulation via exploiting the functionality of each the space and sign

domain names. Through the usage of the on/off keying of antennas and the traditional amplitude and phase modulation (APM), 3-D modulation gives significant multiplexing benefit with a single radio frequency (RF) chain. It has drawn pretty a few interest inside the research field of multiple-input multiple-output (MIMO)/large MIMO by using distinct characteristic of its engaging blessings which include the low fee and immoderate power-efficiency [2]–[5]. Moreover it has also been carried out in a take a look at mattress [6]. A whole review of the u .S . Of paintings at the challenges, opportunities and implementations of 3-D modulation is available in [7]. The idea of 3-D constellation for SM grow to be firstly proposed in [8]. Originally, the 3-D constellation turned into considered to be composed of separated components: the spatial constellation and the signal constellation. Based on the number one concept, the art work in [9] and [10] analyzed the error chance standard overall performance of SM for uncorrelated and correlated channels, respectively. Motivated by improving the overall performance of SM in terms of symbol blunders charge (SER), numerous artwork [11]–[14] has been executed on the 2-D sign constellation format. Specifically, the authors in [11] and

[12] investigated the megastar-quadrature amplitude modulation (celebrity-QAM) primarily based constellation layout for SM, and it became verified that the overall performance of celeb-QAM based totally SM is higher than that of the conventional APM. The designed huge name-QAM shape is restricted to 2 rings, every containing the same variety of constellation elements. Without enforcing this task, [13] investigated APM with a couple of earrings, in which each ring can also include outstanding range of constellation points. In [11]–[13] exhaustive are searching for became used to find the nice constellation primarily based on their predefined constellation shape. [14] optimized APM constellation underneath given power constraint, and searched for the most suitable constellation inside the complex field. To simplify the looking method, the authors of [14] assumed that the gold widespread constellation has symmetrical form and is symmetric to the start similarly to to the axes. All these exhaustive or close to exhaustive seek algorithms [11]–[14] optimizing 2-D signal constellations have furnished some performance benefit over the generally used M-ary quadrature amplitude modulation (M-QAM) or M-ary phase shift keying (M-PSK). But, all the ones

algorithms have boundaries in some utility circumstances wherein the form of transmit antennas isn't always a power of two and in some conditions in which there's transmit antenna correlation. The motive is that they are based totally on the notion that each the cardinality of the spatial constellation and that of the sign constellation of their 3-D constellation are a energy of as conventional SM systems require. In one-of-a-kind phrases, if the quantity of transmit antennas isn't a energy of two, best a energy of are decided on to form the three-D constellation structure, which may also additionally lessen the general overall performance. Additionally, as the sign constellations used for all antennas are the identical in [11]–[14], their performance is constrained via transmit antenna correlation. This is because the equal symbols are used for every antenna, even for those significantly correlated antennas, and it's far tough for the receiver to distinguish the antenna index. To avoid the above cited obstacles, a brand new three-D constellation design has been in recent times proposed for SM in [15]. Benefiting from the key concept of collectively mapping a set of statistics bits to three-D constellation (additionally referred as 3-D mapping) without delay, transmitters might also have arbitrary

quantity of antennas and a flexible range of symbols for each antenna. In [15], a three-D constellation became designed to restrict SER by the use of assuming that a given finite symbol set (e.G. M-QAM or M-PSK) is hired as sign constellation. With this assumption, the three-D constellation layout may be dealt with as a constellation factor selection, that's a discrete combination optimization trouble. Despite the symbols and their general wide variety for each antenna have been optimized in [15], the image optimization grow to be best finished via smooth selection from given limited candidates. As those candidates are predefined and now not optimized, the general performance advantage is limited. This way that the constellation scheme proposed in [15] does no longer fully find out the ability of three-D constellation layout. If the symbol set may be generated inside the whole complicated field, extra gains should be accomplished. Motivated thru this remark, this work makes a speciality of designing a generalized most appropriate three-D constellation in the complex field for SM. The contributions of this paintings are summarized as follows. 1) A full-size three-D constellation optimization hassle is formulated to lower SER situation to the cardinality requirement

and normalized energy constraint. Analysis shows that the formulated hassle is a hybrid discrete and non-prevent hassle. To clear up it, an auxiliary constellation dividing matrix is delivered to indicate the image distribution among antennas and all of the complex symbols are stacked right into a vector. Then, thru exhaustively looking all the image distribution instances, and manipulating the corresponding complicated image vector, the pinnacle-great 3-D constellation may be established. 2) As exhaustively searching all of the photo distribution instances may also additionally involve very excessive computational complexity, a recursive format set of guidelines is proposed to lessen the complexity. In the proposed recursive algorithm, the symbol distribution of present day 3-D constellation is optimized through such as one extra constellation factor to that of the preceding maximum appropriate constellation. This results in a small number of symbol distribution candidates. For each candidate, the corresponding complex symbols are optimized and the corresponding analytical SER higher sure is derived. Then with the aid of the use of comparing all the applicants in terms of analytical SER performance, the

contemporary top-rated 3-D constellation is acquired

LITERATURE REVIEW:

GENERALIZED SPATIAL MODULATION IN LARGE-SCALE MULTIUSER MIMO SYSTEMS

Generalized spatial modulation (GSM) uses n_t transmit antenna elements but fewer transmit radio frequency (RF) chains, n_{rf} . Spatial modulation (SM) and spatial multiplexing are special cases of GSM with $n_{rf} = 1$ and $n_{rf} = n_t$, respectively. In GSM, in addition to conveying information bits through n_{rf} conventional modulation symbols (for example, QAM), the indices of the n_{rf} active transmit antennas also convey information bits. In this paper, we investigate GSM for large-scale multiuser MIMO communications on the uplink. Our contributions in this paper include: (i) an average bit error probability (ABEP) analysis for maximum-likelihood detection in multiuser GSM-MIMO on the uplink, where we derive an upper bound on the ABEP, and (ii) low-complexity algorithms for GSM-MIMO signal detection and channel estimation at the base station receiver based on message passing. The analytical upper bounds on the ABEP are

found to be tight at moderate to high signal-to-noise ratios (SNR). The proposed receiver algorithms are found to scale very well in complexity while achieving near-optimal performance in large dimensions. Large-scale MIMO systems with tens to hundreds of antennas are getting increased research attention [1]-[3]. Because of its advantages of very high spectral efficiencies/sum rates, increased reliability, and power efficiency, large-scale MIMO technology is being considered as a potential technology for next generation (example, 5G) wireless systems [4]. The following two characteristics are typical in conventional MIMO systems: (i) there will be one transmit radio frequency (RF) chain for each transmit antenna (i.e., if n_t is the number of transmit antennas, then the number of transmit RF chains, n_{rf} , will also be n_t), and (ii) information bits are carried only on the modulation symbols (example, QAM). Conventional multiuser MIMO systems with a large number (tens to hundreds) of antennas at the base station (BS) are referred to as ‘massive MIMO’ systems in the recent literature [3],[4]. Key technological issues that need to be addressed in practical realization of large-scale MIMO systems include design and placement of compact antennas, multiple RF chains, and large dimension transmit/receive

signal processing techniques and algorithms. Spatial modulation (SM), an attractive modulation scheme for multi-antenna communications [5],[6], can alleviate the requirement of multiple transmit RF chains in MIMO systems. In SM, the transmitter has multiple transmit antennas but only one transmit RF chain

“ENERGY EFFICIENT TRANSMISSION OVER SPACE SHIFT KEYING MODULATED MIMO CHANNELS”

Energy-efficient communication using a class of spatial modulation (SM) that encodes the source information entirely in the antenna indices is considered in this paper. The energy-efficient modulation design is formulated as a convex optimization problem, where minimum achievable average symbol power consumption is derived with rate, performance, and hardware constraints. The theoretical result bounds any modulation scheme of this class, and encompasses the existing space shift keying (SSK), generalized SSK (GSSK), and Hamming code-aided SSK (HSSK) schemes as special cases. The theoretical optimum is achieved by the proposed practical energy-efficient HSSK (EEHSSK) scheme that incorporates a novel use of the Hamming code and Huffman code techniques in the alphabet

and bitmapping designs. Experimental studies demonstrate that EEHSSK significantly outperforms existing schemes in achieving near-optimal energy efficiency. An analytical exposition of key properties of the existing GSSK (including SSK) modulation that motivates a fundamental consideration for the proposed energyefficient modulation design is also provided. SPATIAL modulation (SM) is an emerging transmission technique that specifically exploits the deployment of multiple antennas in multiple-input multiple-output (MIMO) wireless communications. Unlike conventional phase and amplitude modulation such as quadrature amplitude modulation (QAM), SM encodes the source information partially or fully in the indices of the activated and idle transmit antennas. In the original SM scheme proposed in [1], both the index of a single activated transmit antenna and the data symbol sent via the activated antenna carry information. The single activated antenna consideration is generalized to multiple activated antennas in [2]–[5] with sophisticated bit mapping rules. The limitation that the total number of transmit antennas has to be a power of two in the original SM scheme is relaxed in [6], [7] by proposing novel ways of fractional bit mapping. Trellis coded spatial modulation

(TCSM) [8], [9] improves the performance of SM in correlated channel conditions. Spacetime block coded SM (STBC-SM) [10] combines space-time block coding (STBC) and SM. Analytical performance results for various SM schemes in different channel conditions are given in [11]–[15]. A class of SM that eliminates the use of phase and amplitude modulation and encodes the source information fully in the indices of transmit antennas has become a promising implementation of SM for future MIMO wireless communications. Space shift keying (SSK) [16] activates a single transmit antenna as in the original SM, which is generalized to a fixed number of multiple activated antennas in the generalized SSK (GSSK) [17]. Hamming code-aided SSK (HSSK) [18] links the constellation design of HSSK with the codeword construction technique of Hamming codes (in general, binary linear block codes) [19] and adopts a varying number of multiple activated antennas. Space-time shift keying (STSK) [20], [21] and space-time SSK (STSSK) [22] extend SSK to both space and time dimensions by combining SSK with STBC. Opportunistic power allocation for SSK is suggested in [23] to improve the performance of SSK. SSK-type modulation presents an attractive class of modulation

techniques, especially for future large-scale MIMO systems, for several reasons. First, the hardware cost in the radio frequency (RF) section [24] is reduced since only a subset of the transmit antennas are switched on for data transmission. The same hardware cost reduction benefits as in transmit antenna selection [25] are achieved. Second, the detection complexity is lowered and the receiver design is simpler, since the information is contained entirely in the indexing of the antennas. Third, the transceiver requirement such as synchronization is reduced due to the absence of phase and amplitude modulation [16]. One disadvantage of SSK-type modulation is that the data rates increase only logarithmically with the number of transmit antennas, resulting in lower transmission rates as compared with conventional modulation. This problem can be alleviated by employing a large antenna array and activating multiple antennas, as well as by the efficient use of the set of antenna indices. An overview of the various aspects of SM (including SSK-type modulation) is available in [26]. In this paper, we consider energy-efficient (green) communication using SSK-type modulation. Essentially, energy efficiency is achieved by nonequiprobable signaling where less

power-consuming modulation symbols are used more frequently to transmit a given amount of information. We first derive the optimal transmission strategy that guarantees minimum average symbol power consumption provided that the spectral efficiency, performance, and hardware constraints are met. The theoretical optimum is then achieved by the proposed energy-efficient HSSK (EE-HSSK) modulation scheme

“SPATIAL MODULATION FOR MASSIVE MIMO”

—Multiple-input multiple-output (MIMO) systems can increase wireless link capacity without requiring additional bandwidth and power. On the one hand, MIMO systems heavily depend on channel state information (CSI) at the receiver. It has also been shown that CSI at the transmitter (CSIT) can improve the link capacity and reliability considerably but with the disadvantage of extra feedback and computational costs. On the other hand, energy efficiency of MIMO systems could adversely increase with the number of antennas in the link. Therefore, there are considerable interests in energy efficient practical transmission schemes for MIMO links without CSIT. In this study, an emerging wireless communication concept which is termed as spatial modulation (SM)

is considered for large scale MIMO. The results show that in information-theoretic viewpoint, SM achieves capacity comparable to the open-loop MIMO capacity even though a subset of transmit antennas is activated in every channel use. The reason is both the channel coefficients and input symbols carry information in SM. As a result, SM regains (compensates) the loss of information capacity due to activating a subset of antennas by modulating information in the antenna index. This means that the sum information rate remains high. Multiple-input-multiple-output (MIMO) is a promising technology for increasing the link capacity and/or reliability in modern communication systems. Multi element antennas are used in many scenarios such as point-to-point links [1], [2], multiuser links [3], and macrodiversity links [4]. The capability of MIMO for achieving higher throughput is due to the fact that multiple independent spatial data streams can be transmitted in the same time and frequency resource. A key enabler for MIMO operation is the rich scattering environment between transmit and receive antennas, and that receivers can successfully separate the multiple data streams transmitted with the assistance of channel state information (CSI) at the

receiver. It has also been shown that CSI at the transmitter (CSIT) can increase the capacity in the moderate signal-to-noise ratio (SNR) region [5]. However, acquiring CSIT is a costly process. It has several phases which include estimating CSI at the receiver, and feeding back appropriate information to the transmitter [6]. The cost continuously increases with the number of constituent links in the MIMO link. One of the main challenges of future communication systems is finding the right compromise between spectral and energy efficiency. The energy efficiency of MIMO systems could adversely increase with the number of transmit antennas in the link. Therefore, research has focused on energy efficient transmission schemes to achieve MIMO capacity without CSIT. Also, [7, see Section 5] reports on massive MIMO to achieve capacity in the absence of CSIT before a link is established with a terminal. There are existing transmission schemes for MIMO links in the absence of CSIT. Among them standalone space-time (ST) code and spatial multiplexing (SMX) are prominent [8], [1]. In SMX, as many independent data streams as the number of transmit antennas are transmitted in a single use of the channel, and it has been shown to have reasonable decoding complexity [1]. In ST

coding, redundancy is added to the transmit symbol to provide multiple independent replicas of the transmit data symbols to the receiver. In this work, a simple information based antenna switching technique called Spatial Modulation (SM) is considered as a possible transceiver solution for MIMO links with no CSIT [9], [10], [11]. As explained in Section II, SM modulates information in both the signal constellation and antenna index. In addition to its simplicity, the ability to control the number of transmit RF chains in SM is very important in terms of the transmit power efficiency. In contrast to the spatial multiplexing and ST coding, SM uses a subset of transmit antennas for transmission. The operation and performance of SM are now well-understood [10]. The optimum detection of SM is investigated in [12], and average bit error probability in different fading scenarios is analysed in [13]. The effect of channel estimation error and the effect of antenna switching on the bandwidth efficiency are investigated in [14] and [15], respectively. The channel estimation of SM is considered in [16], and energy efficiency of SM is comprehensively studied in

IMPLEMENTATION:

A spatial light modulator (SLM) is an object that imposes some form of spatially varying modulation on a beam of light. A simple example is an overhead projector transparency. Usually when the phrase SLM is used, it means that the transparency can be controlled by a computer. In the 1980s, large SLMs were placed on overhead projectors to project computer monitor contents to the screen. Since then more modern projectors have been developed where the SLM is built inside the projector. These are commonly used in meetings of all kinds for presentations. Usually, an SLM modulates the intensity of the light beam. However, it is also possible to produce devices that modulate the phase of the beam or both the intensity and the phase simultaneously. SLMs are used extensively in holographic data storage setups to encode information into a laser beam in exactly the same way as a transparency does for an overhead projector. They can also be used as part of a holographic display technology. SLMs have been used as a component in optical computing. They also often find application in holographic optical tweezers. Liquid crystal SLMs can help solve problems related to laser microparticle manipulation. In this case spiral beam parameters can be changed dynamically

we present the idea of SLM. Unlike the existing SM techniques in which information bits are separately mapped to a set of antenna indices and modulation symbols, the key idea of SLM is to jointly map K information bits to one of 2^K lattice vectors in \mathbb{R}^{2N_t} . This joint mapping strategy using lattices makes it possible to obtain the maximum entropy of input symbol vectors for an given M -ary PAM condition per dimension. Also, by using a dense lattice, we are able to achieve the largest nominal coding gain for a given N_t . Depending on different lattice structures, we propose two SLM methods: SLM using a cubic lattice and SLM using a dense lattice.

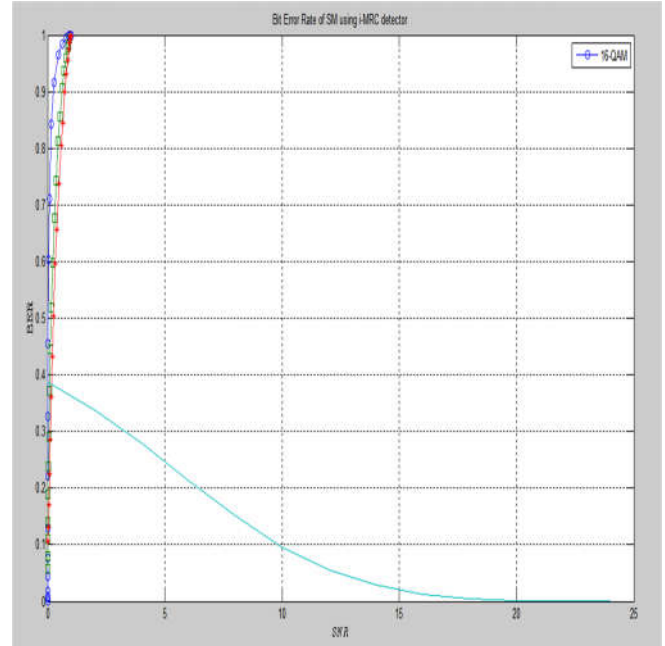
Algorithm 1 Signal Set Design Method for SLM

Input: Generating matrix $\mathbf{G} \in \mathbb{Z}^{2N_t \times 2N_t}$, Maximum pow

Output: Signal set for SLM $\mathcal{S}^{BW}(N_t, P_{\max}) \subset \mathbb{Z}^{2N_t}$.

- 1: **Initialization** $P = 0$.
- 2: **for** $P \in [0, 1, 2, \dots, P_{\max}]$ **do**
- 3: Define $2N_t$ dimensional integer row vector $\mathbf{s} = [s_1, \dots, s_{2N_t}]$ under power condition P .
 $\tilde{\mathcal{S}}^P := \{\mathbf{s} \mid \|\mathbf{s}\|_2^2 = P, \mathbf{s} \in \mathbb{Z}^{2N_t}, |s_i| \geq |s_j|, \forall i \geq j\}$
- 4: Let $\hat{\mathcal{S}}^P$ denote the symmetric group, or group of permutations of $\tilde{\mathcal{S}}^P$.
 $\hat{\mathcal{S}}^P := \{Sym\{[s_1, s_2, \dots, s_{2N_t}]\}, \forall \mathbf{s} \in \tilde{\mathcal{S}}^P\}$.
- 5: Check whether $\hat{\mathbf{s}}$ is in lattice Λ .
 $\mathcal{S}^P := \{\hat{\mathbf{s}} \mid \hat{\mathbf{s}} \in \hat{\mathcal{S}}^P, \hat{\mathbf{s}}\mathbf{G}^{-1} \in \mathbb{Z}^{2N_t}\}$.
- 6: **end for**
 Merge all \mathcal{S}^P sets into \mathcal{S}^{BW} .
- 7: $\mathcal{S}^{BW}(N_t, P_{\max}) = \cup_{P=0}^{P_{\max}} \mathcal{S}^P$.

SIMULATION RESULTS:



CONCLUSION:

We have offered SLM, a new spatial modulation method for MIMO systems. By at the same time mapping statistics bits into a hard and fast of $2N_t$ -dimensional lattice factors, we have shown that SLM is capable of obtain the maximum spectral efficiency at excessive SNR under the PAM input constraint in step with measurement. We also confirmed that the SLM that uses dense Barnes-Wall lattices gives a widespread SNR benefit. We derived a good approximation of the common mutual data and the upper sure of average symbol-vector-error-probability and used simulations to validate the effectiveness of our analysis. In addition, lattice sphere decoding for SLM become proposed to

lessen the detection complexity at the receiver. Simulations confirmed that the overall performance of LSD carefully fits that of ML at every SNR place with realistic MIMO setups. A promising direction for future work consists of a examine of impact on SLM for the case where the quantity of RF chains is greater than the range of transmit antennas, i.e., $N_t > N_{RF}$. Other interesting studies directions are to devise SLM techniques mixed with index modulation methods [33] for multi-service MIMO structures and to devise SLM strategies for the integerforcingframework in [34].

REFERENCES

- [1] R. Mesleh, H. Haas, S. Sinanovic, C. W. Ahn, and S. Yun, "Spatial modulation," *IEEE Trans. Veh. Technol.*, vol. 57, no. 4, pp. 2228–2241, Jul. 2008.
- [2] M. Di Renzo, H. Haas, and P. M. Grant, "Spatial modulation for multiple-antenna wireless systems: A survey," *IEEE Commun. Mag.*, vol. 49, no. 12, Dec. 2011.
- [3] M. Di Renzo, H. Haas, A. Ghayeb, S. Sugiura, and L. Hanzo, "Spatial modulation for generalized MIMO: Challenges, opportunities, and implementation," *Proc. IEEE*, vol. 102, no. 1, pp. 56–103, Jan. 2014.
- [4] P. Yang, M. Di Renzo, Y. Xiao, S. Li, and L. Hanzo, "Design guidelines for spatial modulation," *IEEE Commun. Surveys Tuts.*, vol. 17, no. 1, pp. 6-26, First Quarter 2015.
- [5] P. Yang, Y. Xiao, Y. L. Guan, K. Hari, A. Chockalingam, S. Sugiura, H. Haas, M. Di Renzo, C. Masouros, Z. Liu et al., "Single-carrier SM-MIMO: A promising design for broadband large-scale antenna systems," *IEEE Commun. Surveys Tuts.*, vol. 18, no. 3, pp. 1687-1716, Third Quarter 2016
- [6] J. Jeganathan, A. Ghayeb, L. Szczecinski, and A. Ceron, "Space shift keying modulation for MIMO channels," *IEEE Trans. Wireless Commun.*, vol. 8 no. 7, pp. 3692–3703, Jul. 2009.
- [7] A. Younis, N. Seramovski, R. Mesleh, and H. Haas, "Generalised spatial modulation," in *Proc. IEEE Signals, Syst. Comput. (ASILOMAR)*, Pacific Grove, CA, USA, Nov. 2010, pp 1498–1502.

- [8] J. Jeganathan, A. Ghrayeb, and L. Szczecinski, "Generalized space shift keying modulation for MIMO channels," in Proc. IEEE Int. Symp. Pers., Indoor, Mobile Radio Commun. (PIMRC), Cannes, France, Sep. 2008, pp. 1–5. 32
- [9] J. Wang, S. Jia, and J. Song, "Generalised spatial modulation system with multiple active transmit antennas and low complexity detection scheme," IEEE Trans. Wireless Commun., vol. 11, no. 4, pp. 1605–1615, Apr. 2012.
- [10] K. M. Humadi, A. I. Sulyman, and A. Alsanie, "Experimental results for generalized spatial modulation scheme with variable active transmit antennas," in IEEE Int. Conf. on Cognitive Radio Oriented Wireless Networks (CROWNCOM), Doha, Qatar, April. 2015, pp. 260–270.
- [11] R. Mesleh, S. S. Ikki, and H. M. Aggoune, "Quadrature spatial modulation," IEEE Trans. Veh. Technol., vol. 64, no. 6, pp. 2738–2742, Jun. 2015.
- [12] A. A. I. Ibrahim, T. Kim, and D. J. Love, "On the achievable rate of generalized spatial modulation using multiplexing under a Gaussian mixture model," IEEE Trans. Commun., vol. 64, no. 4, pp. 1588–1599, Apr. 2016.
- [13] N. Ma, A. Wang, C. Han, and Y. Ji, "Adaptive joint mapping generalised spatial modulation," in IEEE Int. Conf. Commun. in China (ICCC), China, Beijing, Aug. 2012, pp. 520–523.
- [14] S. Guo, H. Zhang, S. Jin, and P. Zhang, "Spatial modulation via 3-D mapping," IEEE Commun.Lett., vol. 20, no. 6, pp. 1096–1099, Jun. 2016.
- [15] C.-C. Cheng, H. Sari, S. Sezginer, and Y. T. Su, "Enhanced spatial modulation with multiple signal constellations," IEEE Trans. Commun., vol. 63, no. 6, pp. 2237–2248, Jun. 2015.